Tiptoe: A Compositional Real-Time Operating System

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ETHZ Seminar May 2008

tiptoe.cs.uni-salzburg.at

- Silviu Craciunas* (Programming Model)
- Hannes Payer* (Memory Management)
- Harald Röck (VM, Scheduling)
- Ana Sokolova* (Theoretical Foundation)
- Horst Stadler (I/O Subsystem)

*Supported by Austrian Science Fund Project P18913-N15



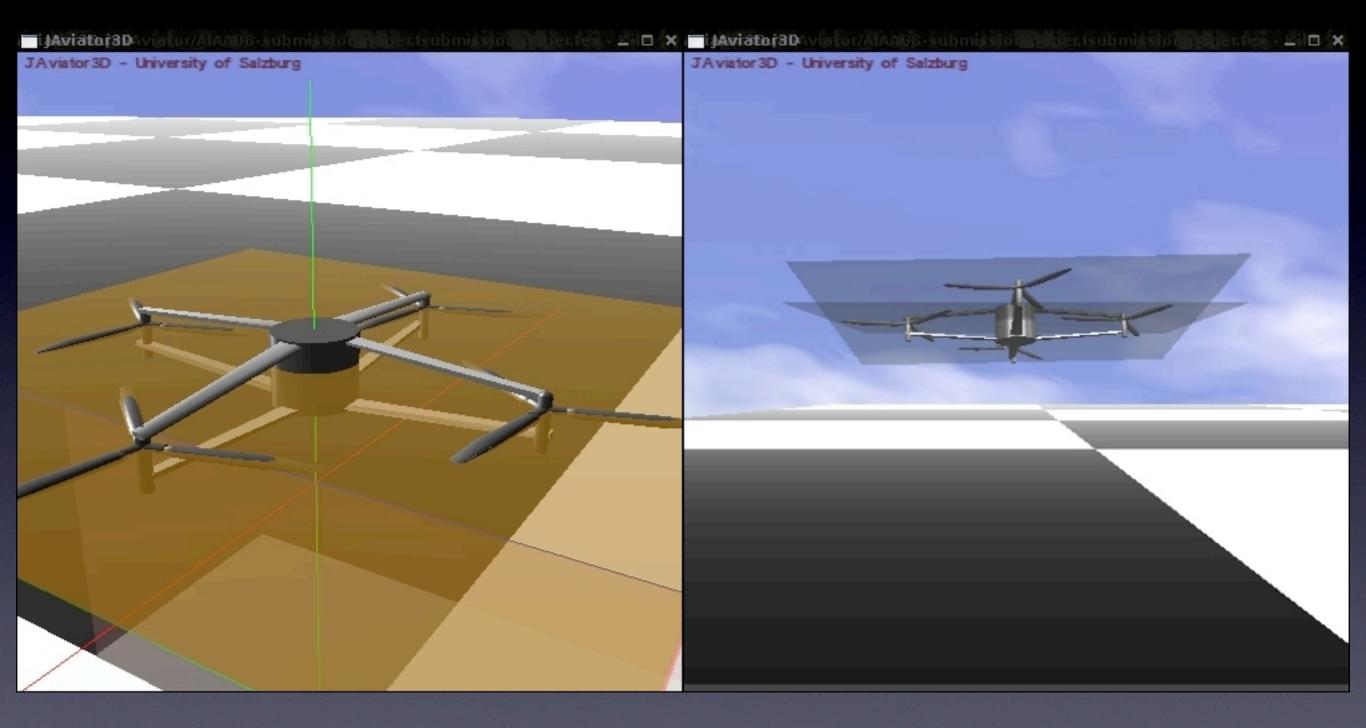
The JAviator

javiator.cs.uni-salzburg.at

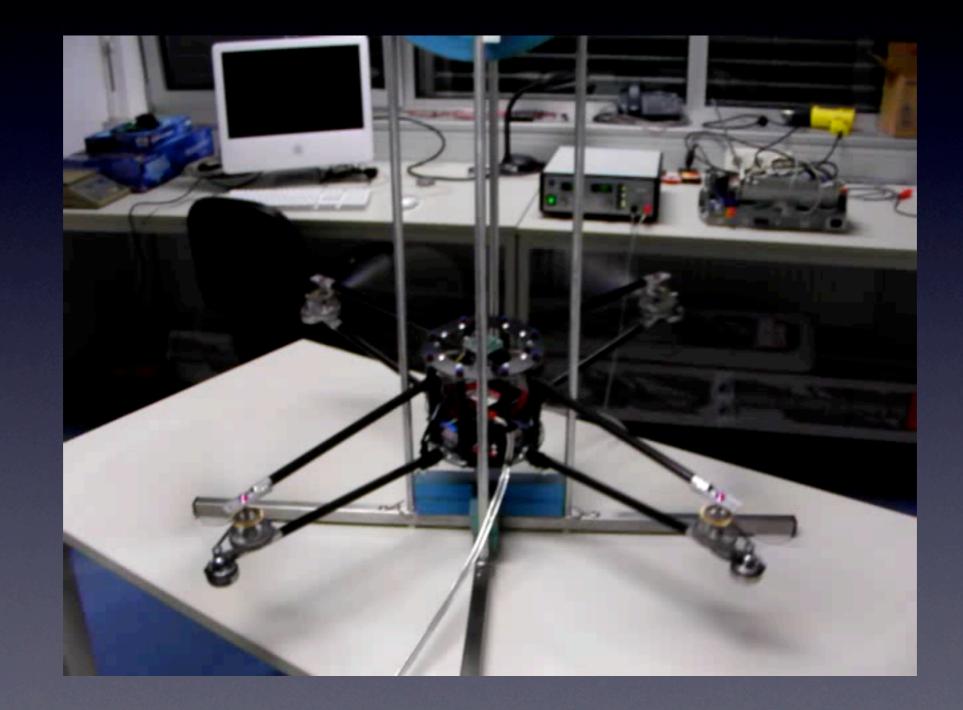
Quad-Rotor Helicopter



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Flight Control



Free Flight



"Theorem"

- (Compositionality) The time and space a software process needs to execute is determined by the process, not the system and not other software processes.
- (Predictability) The system can tell how much time and space is available without looking at any existing software processes.

"Corollary"

- (Memory) The time a software process takes to allocate and free a memory object is determined by the size of the object.
- (I/O) The time a software process takes to read input data and write output data is determined by the size of the data.

Outline

- I. Programming Model
- 2. Concurrency Management
- 3. Memory Management
- 4. I/O Management

State of the Art

- Traditional real-time process model:
 - A set of periodic tasks with deadlines
- Synchronous reactive programs
- Logical execution time (LET) model
 - A set of periodic tasks with deterministic input and output times

Compositionality

System of tasks with deadlines:

- Existing tasks still meet deadlines even when adding/removing tasks
- System of LET tasks:
 - Existing tasks maintain input and output times even when adding/removing tasks

Tiptoe Process Model

- Tiptoe processes invoke process actions
- Process actions are system calls and procedure calls but also just code, which may have optional workload parameters
- Workload parameters determine the amount of work involved in executing process actions

Example

- Consider a process that reads a video stream from a network connection, compresses it, and stores it on disk, all in real time
- The process periodically adapts the frame rate, allocates memory, receives frames, compresses them, writes the result to disk, and finally deallocates memory to prepare for the next iteration

Pseudo Code

 $loop {$ int number of frames = determine rate(); allocate memory (number of frames); read from network(number of frames); compress data (number of frames); write to disk(number of frames); deallocate memory (number of frames); } until (done);

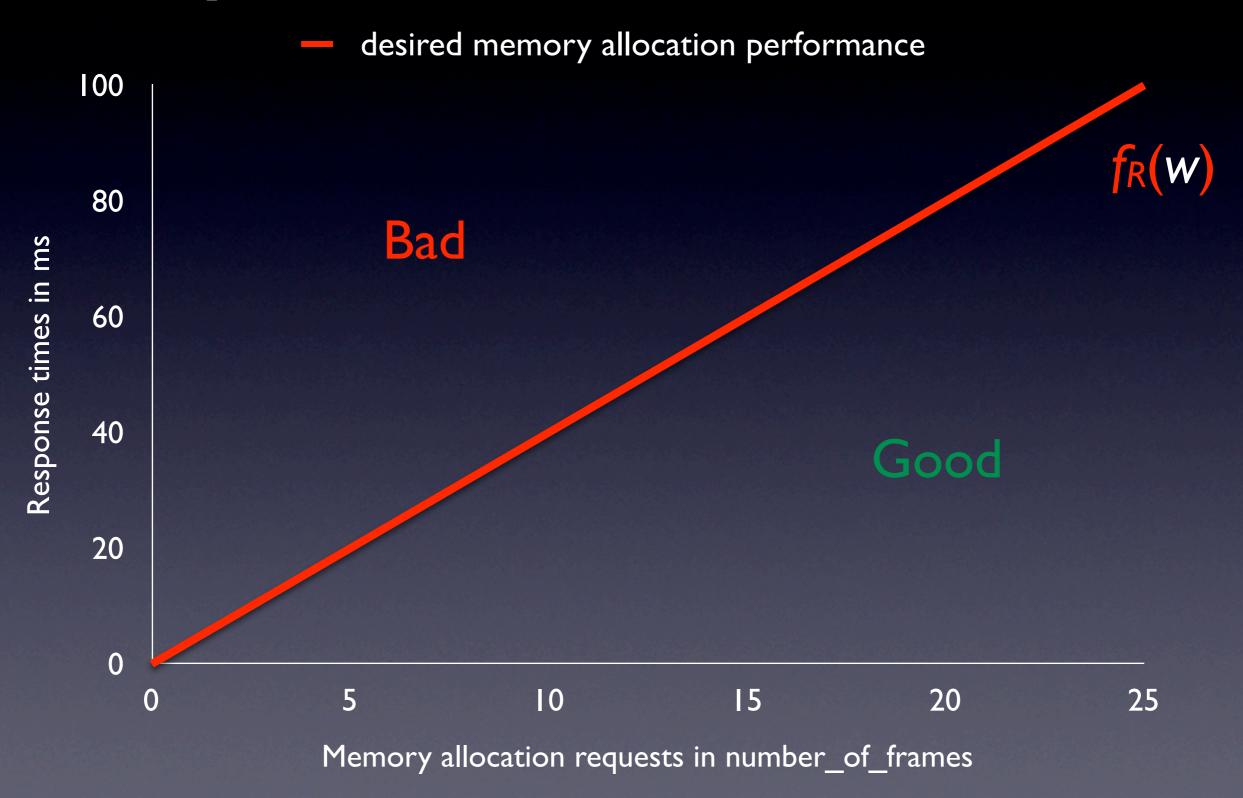
Tiptoe Programming Model

- Process actions are characterized by their execution time and response time in terms of their workload parameters
- The execution time is the time it takes to execute an action in the <u>absence</u> of concurrent activities
- The response time is the time it takes to execute an action in the <u>presence</u> of concurrent activities

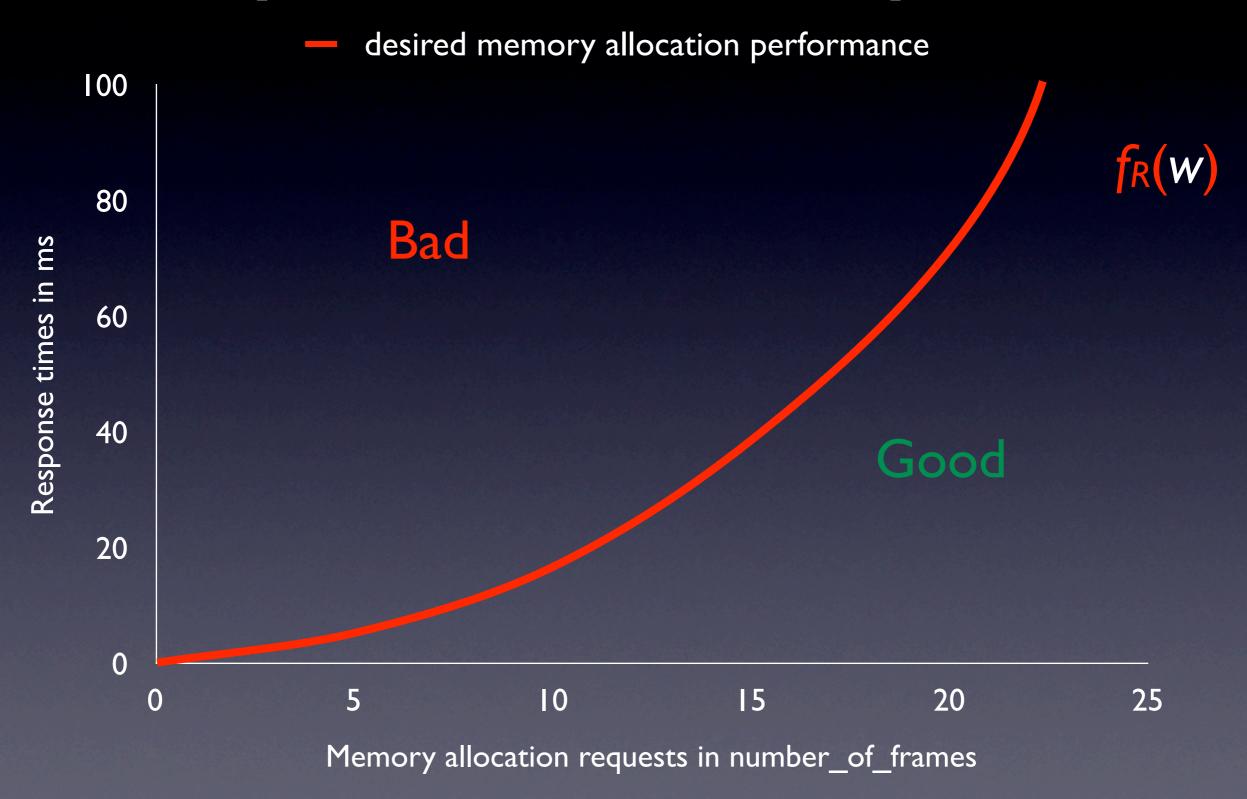
Compositionality

- System of Tiptoe processes:
 - The individual actions of running Tiptoe processes maintain their response times even when adding/removing processes

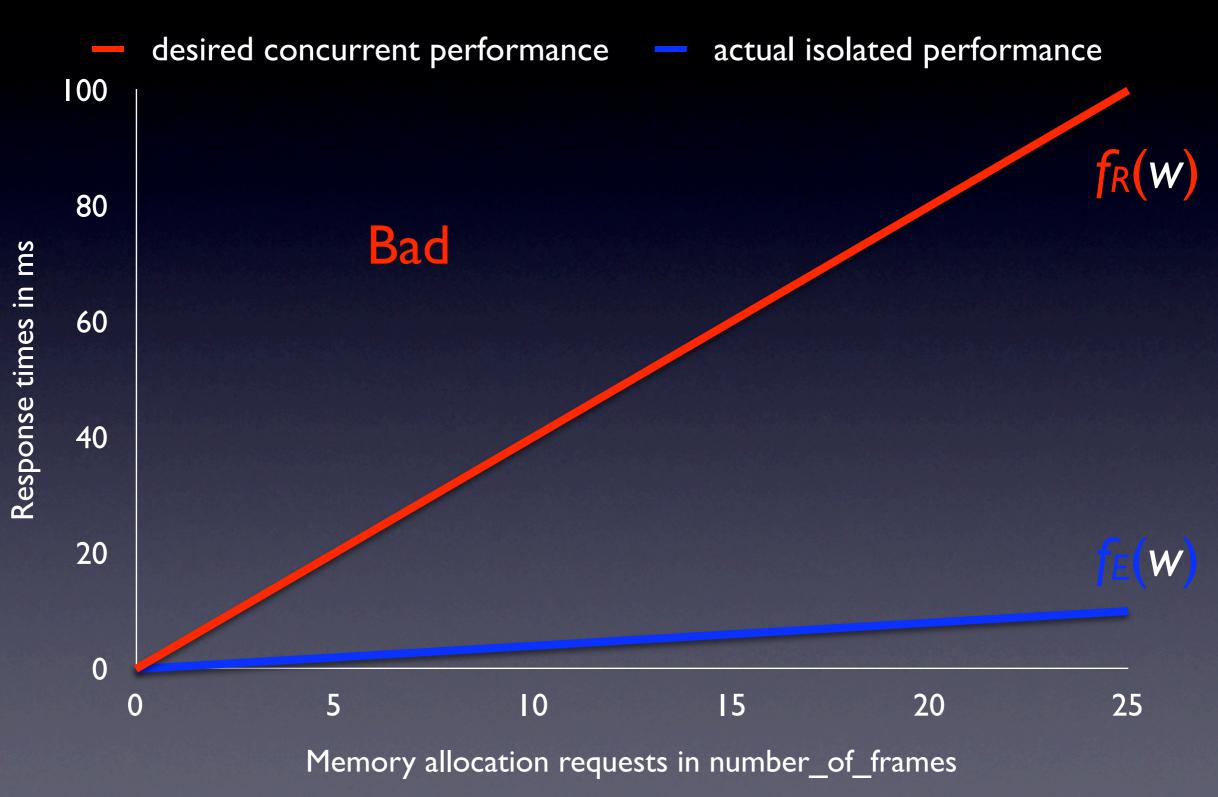
Response-Time Function



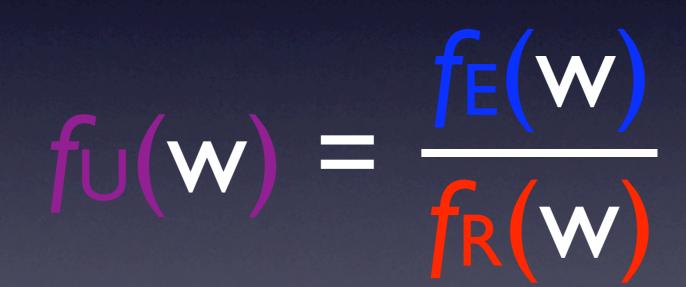
Compositional Response!



Execution-Time Function



Utilization Function:



With

$f_R(w) = 4 * w (in ms)$ $f_E(w) = 0.4 * w (in ms)$

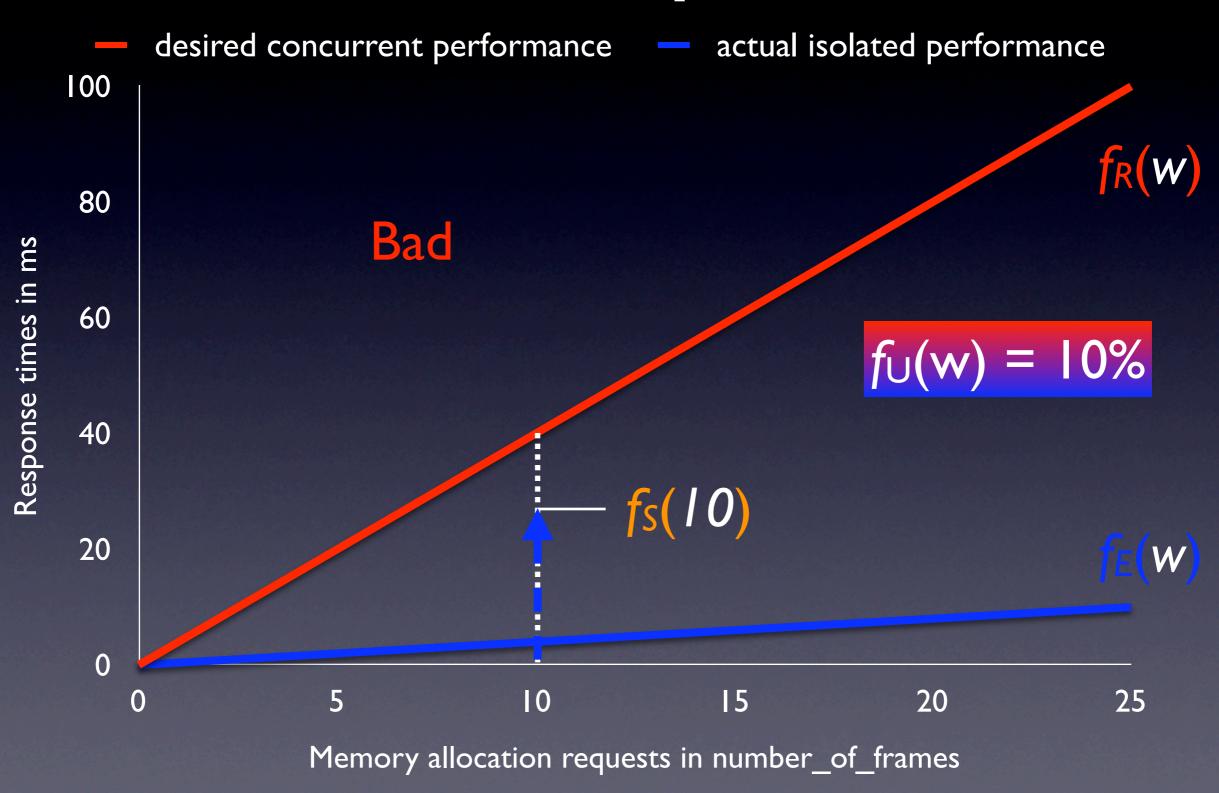
we have that

 $f_{\rm U}(w) = 10\%$ (for w>0)

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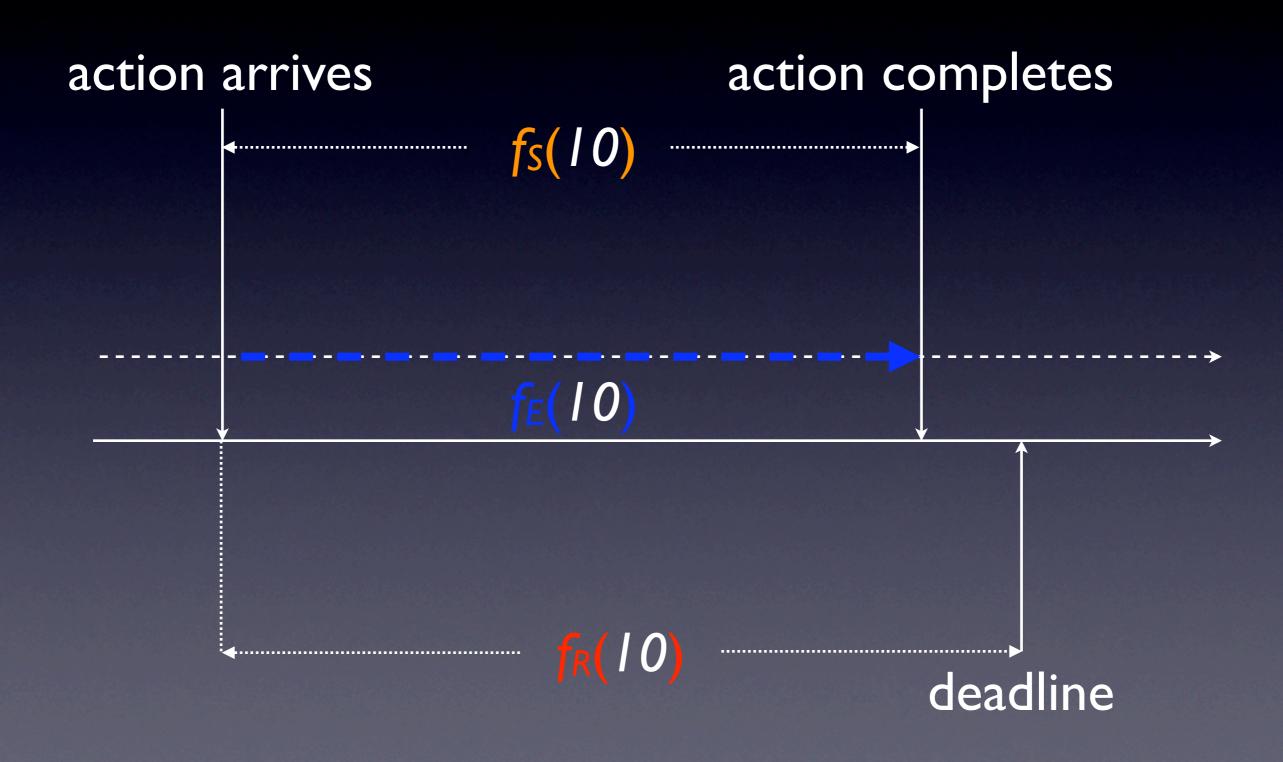
Scheduled Response Time



Scheduling and Admission

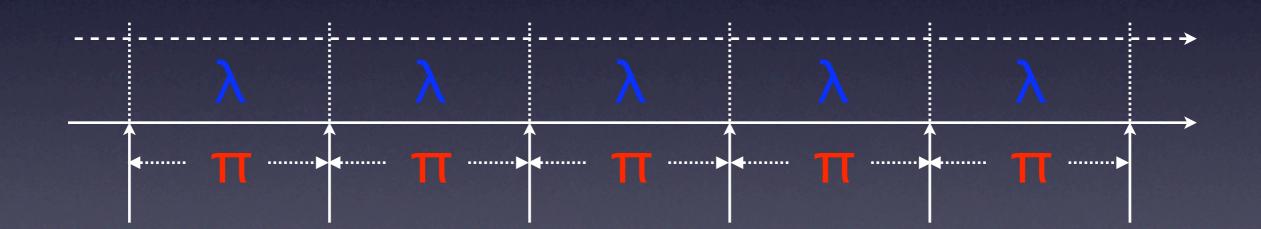
- Process scheduling:
 - How do we efficiently schedule processes on the level of individual process actions?
- Process admission:
 - How do we efficiently test schedulability of newly arriving processes

Just use EDF, or not?



Virtual Periodic Resource

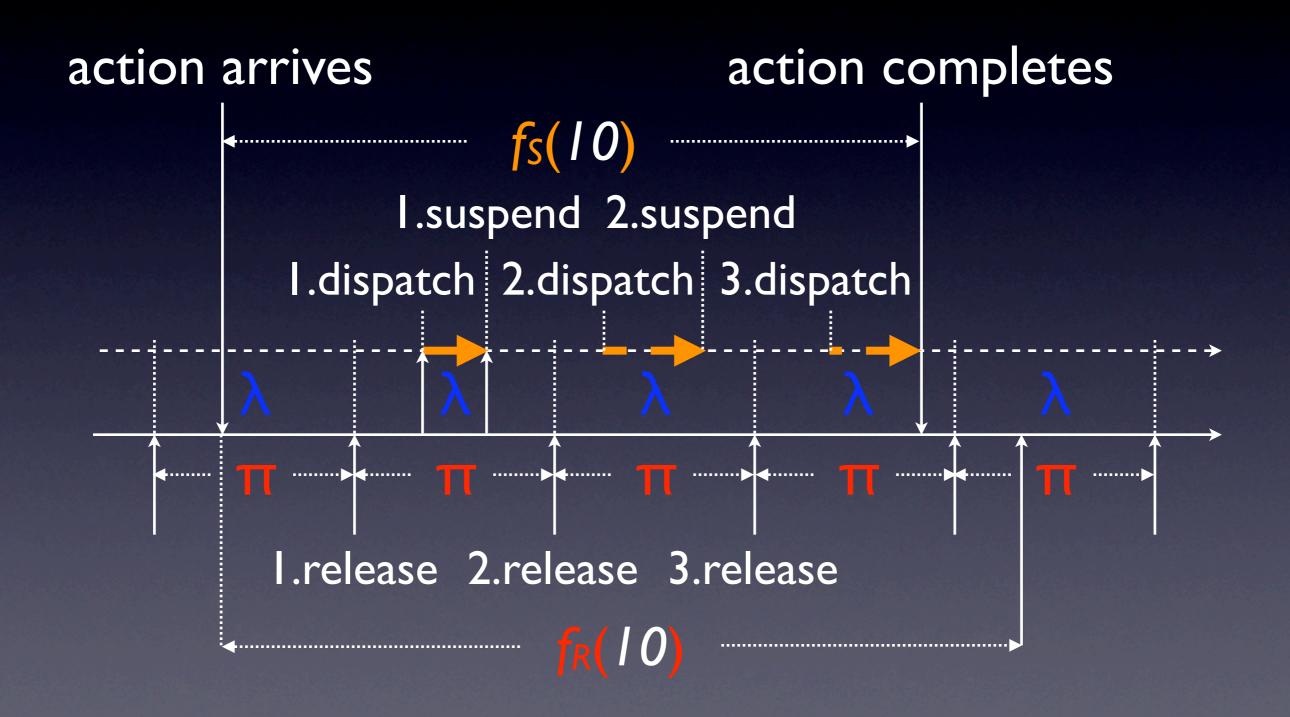
limit: λ period: π utilization: λ / π



Tiptoe Process Model

- Each Tiptoe process declares a finite set of virtual periodic resources
- Each process action of a Tiptoe process uses exactly one virtual periodic resource declared by the process

Release, Dispatch, Suspend



Scheduling Strategies

- release action upon arrival at the beginning of next period (release strategy)
- dispatch released actions in EDF order using periods as deadlines (dispatch strategy)
- suspend running actions until beginning of next period when limit is exhausted (limit strategy)

$\forall w \in E_D. f_S(w) \leq f_R(w) ?$

$\forall w \in E_D.$ $\frac{f_{E}(w) + (\tau - \lambda) * (\int f_{E}(w) / \lambda] - 1)}{f_{E}(w) / \lambda - 1 }$ $\leq f_{s}(w) \leq$ $(T - I) + T * (\int f_E(w) / \lambda - I) + T$ if $P \max(\Lambda PR/TPR) \leq 1$

Tiptoe Compositionality

 $\begin{aligned} \forall f_{s}, f_{s'}. \forall w \in E_{D}. \\ 0 \leq |f_{s}(w) - f_{s'}(w)| \leq 2\pi - 2 \\ & \text{if} \\ \sum_{P} \max_{R}(\bigwedge_{PR}/\pi_{PR}) \leq 1 \end{aligned}$

Logical Response Time

worst case (any): 2T - 2 best case (LRT): T - 1

With $\lambda / \pi = c_U$, we know that $\forall w \in U_D$. $f_s(w) \leq f_R(w) + T$ if T divides f(w) evenly and $P \max(\Lambda PR/TPR) \leq 1$

$\forall w \in U_D. f_s(w) \leq f_R(w) + T$

Utilization Function:

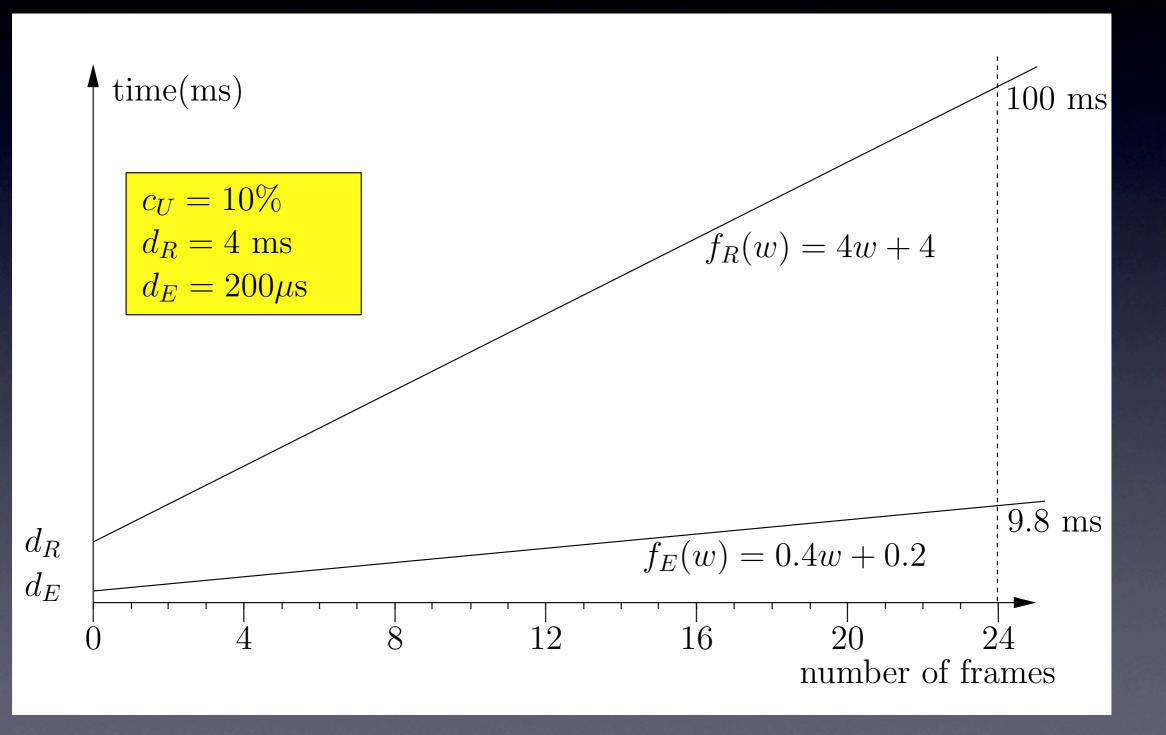
$f_{U}(w) = \frac{f_{E}(w) - d_{E}}{f_{R}(w) - d_{R}}$

$(if f_R(w) > d_R)$

For example, with $f_{R}(w) = 4 * w + 4 (in ms)$ $f_E(w) = 0.4 * w + 0.2$ (in ms) we have again $f_{U}(w) = 10\%$ (for w>0)

 $f_R(I) = 8 \text{ms} \text{ but only } I25 \text{fps}$ $f_R(24) = I00 \text{ms} \text{ yet } 240 \text{fps}$

Intrinisic Delay



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With $\lambda / \pi = c_U$, we know that $\forall w \in U_D. f_S(w) \leq f_R(w)$ if $0 < TT \leq d_R - d_E / c_U$, and T divides d_R and $f_R(w)$ - d_R evenly, and $\sum_{P} \max(A_{PR}/T_{PR}) \leq 1$

Scheduling Algorithm

- maintains a queue of ready processes ordered by deadline and a queue of blocked processes ordered by release times
- ordered-insert processes into queues
- select-first processes in queues
- release processes by moving and sorting them from one queue to another queue

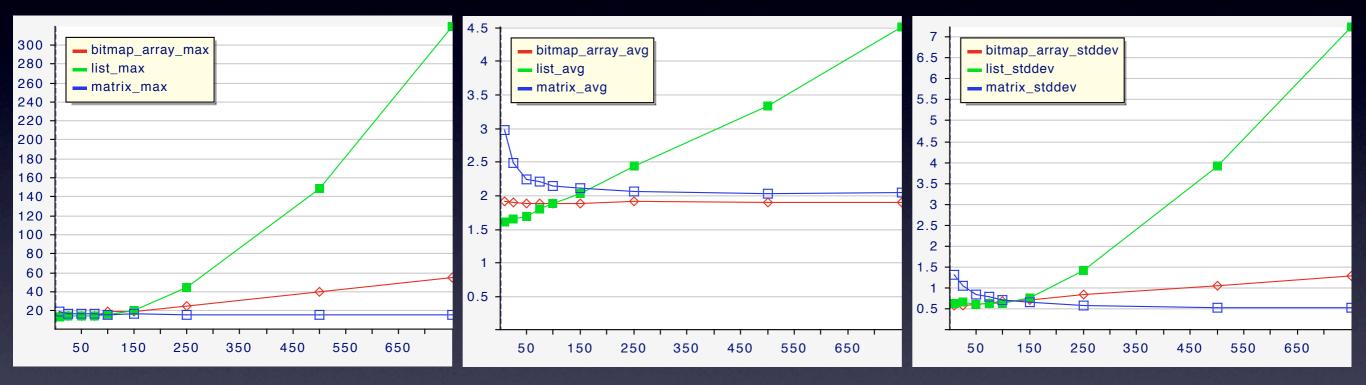
Time and Space

	list	array	matrix
ordered-insert	O(n)	$\Theta(\log(t))$	$\Theta(\log(t))$
select-first	$\Theta(1)$	$O(\log(t))$	$O(\log(t))$
release	$O(n^2)$	$O(\log(t) + n \cdot \log(t))$	$\Theta(t)$

	list	array	matrix
time	$O(n^2)$	$O(\log(t) + n \cdot \log(t))$	$\Theta(t)$
space	$\Theta(n)$	$\Theta(t+n)$	$\Theta(t^2 + n)$

n: number of processes t: number of time instants

Scheduler Overhead

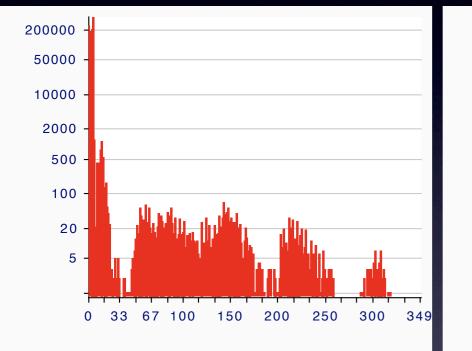


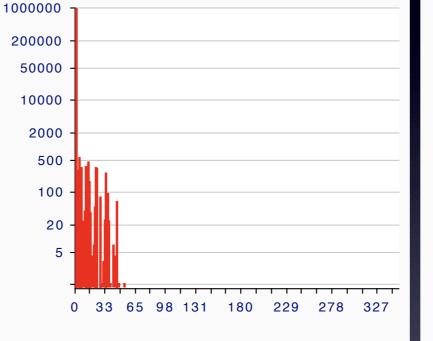
Max

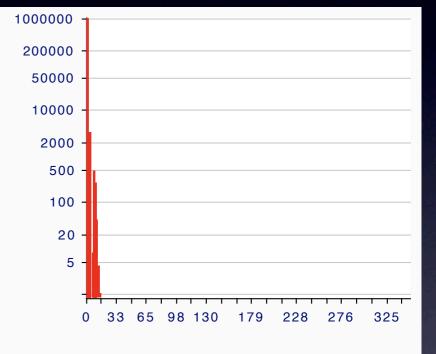
Average



Execution Time Histograms





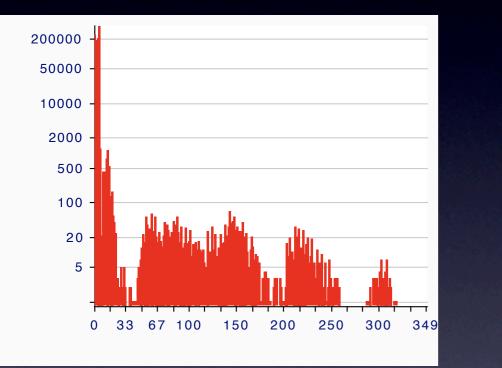


List

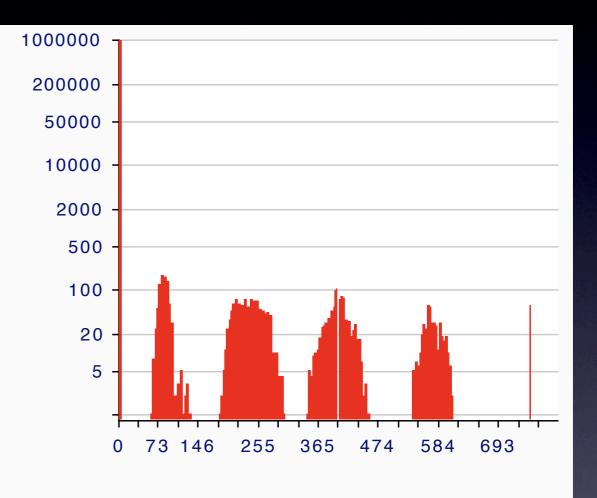
Array



Process Release Dominates

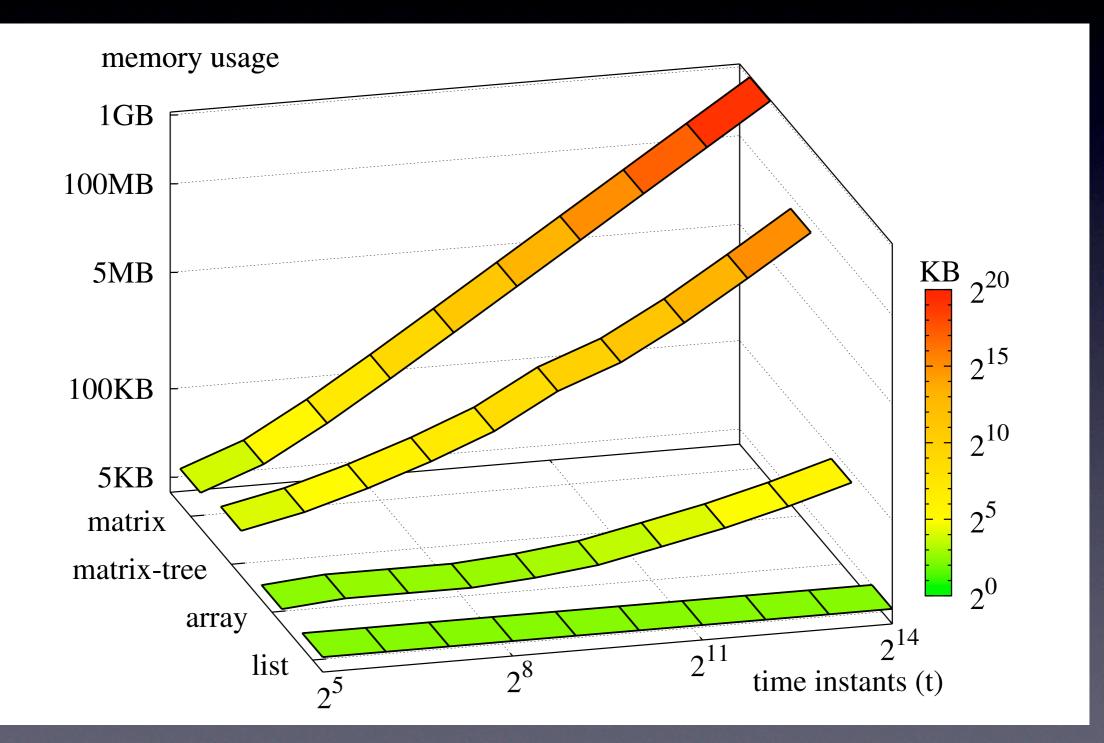


List



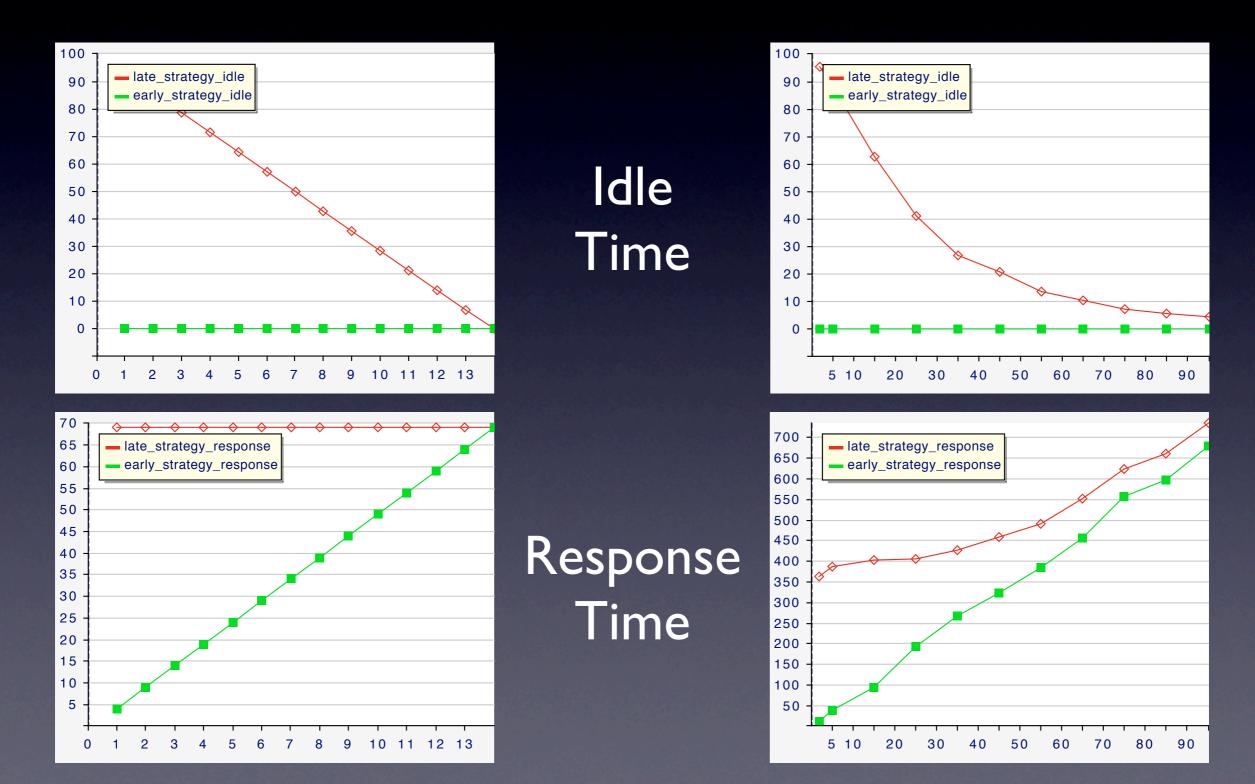
Releases per Instant

Memory Overhead



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Release Strategies



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Current/Future Work

- Concurrent memory management
- I/O subsystem
- Java bytecode VM

